

Industrial Organisation

Topic 1: Introduction to IO

Tom Holden

<http://io.tholden.org/>

Key info: Contact details

- ▶ Email: t.holden@surrey.ac.uk
- ▶ Standard office hours:
 - Monday, 2–4PM, 10AD00
 - Ideally, e-mail first so I know to wait for you.
- ▶ Other times are possible by e-mail appointment.

Key info: Classes

- ▶ Classes will be:
 - Thursday, 11–12AM, 04 AZ 01
- ▶ Classes will be run by:
 - Nikos Chatzistamoulou
 - n.chatzistamoulou@surrey.ac.uk

Key info: Web presence

- ▶ Course website is: <http://io.tholden.org/>
 - Going to SurreyLearn should send you to this site.
- ▶ Has the last four years slides up already.
 - And videos from the last two years!
 - This year will have almost identical content to last year, so feel free to read/watch ahead.
- ▶ Please use the comment facility on the site to ask about things you don't understand.
- ▶ If there is a demand, I will again be videoing all lectures and classes, and placing them on YouTube.

Key info: Readings

- ▶ Main text:
 - Oz Shy: “Industrial organization: Theory and applications” 338.6 SHY
 - “Goldilocks” level difficulty (I hope).
- ▶ Alternative texts:
 - Jean Tirole, “The Theory of Industrial Organization” 338.6 TIR
 - A little difficult in places.
 - Jeffrey Church and Roger Ware, “Industrial Organisation: A strategic Approach”
 - Not quite right for our course, but it is available for free at:
<http://is.gd/XHBLz4>
- ▶ Plus, as ever, Google & Wikipedia are your friends.

Key info: Exams & timetable

- ▶ Midterm test (30%):
 - Short answer test. 100 minutes.
 - Monday, Week 8, from 11AM. Will provide mock.
 - Taking place in 35 AC 04.
 - No lecture that week.

- ▶ Final exam (70%):
 - Short answer section.
 - Rest is multi-part questions requiring both maths and discussion.
 - Again, there'll be a mock...

Key info: Practice questions

- ▶ Oz Shy's book contains exercises.
 - Do them!
 - The answers are online at:
<http://ozshy.50webs.com/bkman24.pdf>
- ▶ He has additional problems online at:
<http://ozshy.50webs.com/io-exercises.pdf>
 - With solutions at <http://links.ozshy.com/io-solutions>
- ▶ I'll set a few other questions.

Outline

- ▶ What is IO?
 - Aim of the course
- ▶ Some “revision”:
 - Demand curves
 - Consumer surplus
 - Cost functions
 - Profits
 - Welfare
 - Monopoly
- ▶ Note: There will be a lot of work on the board today.
 - It is important everyone get these basic bits of maths.
 - If you missed this lecture, watch the video, or ask a friend for notes, and study the readings.

What is IO?

- ▶ IO *is not* the economics of manufacturing industries (as opposed to agriculture etc.).
- ▶ IO *is* the economics of:
 - the firm and its behaviour,
 - the structure of markets,
 - the regulation of markets.
- ▶ IO is the field of most economic consultants.

Topics within IO

- ▶ Firm's decisions:
 - Entry, exit, mergers
 - R&D
 - Advertising
 - Capital investment
 - Pricing
- ▶ Market structure:
 - How do firms interact?
 - Why are some firms large?
 - Why are some industries highly concentrated?
- ▶ Competition policy:
 - Cartels and collusion
 - When should we regulate firms?

Aim of the course

- ▶ IO is a big subject.
- ▶ Our aim will be cover enough theory that you could go on to think independently about practical questions.
- ▶ The theory is fun on its own though.
 - It's basically applied game theory.

Demand curves (1 / 2) (OZ 3.2)

- ▶ Two ways of thinking about aggregate demand curves.
 - Homogeneous consumers, wanting multiple units.
 - Heterogeneous consumers, wanting one unit each.
 - Can you explain graphically how they emerge?
- ▶ We will usually denote demand curves by $Q(p)$.
 - And inverse demand curves by $p(Q)$.
 - Given $Q(p)$ how do you derive $p(Q)$?

Demand curves (2/2)

- ▶ Two families of demand curves we will use a lot.
 - Linear: $Q(p) = q_0 - q_1p$ or $p(Q) = p_0 - p_1Q$.
 - Iso-elastic (aka constant-elastic): $Q(p) = cp^{-\alpha}$ or $p(Q) = kQ^{-\beta}$.
- ▶ How do we map from the parameters of the linear demand curve to the parameters of the linear inverse demand curve?
 - How do we go the other way?
 - How do we do the same for iso-elastic demand?

Elasticity of demand

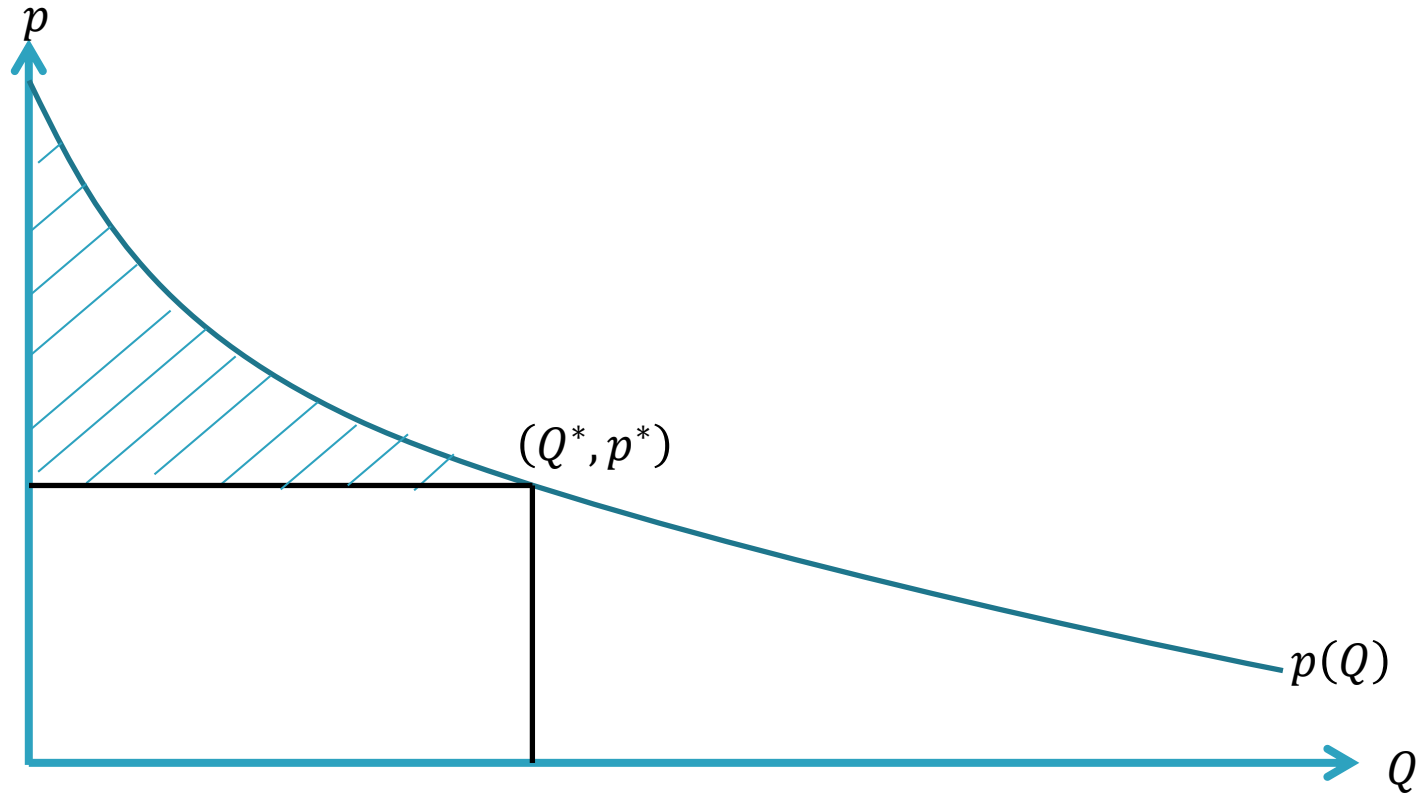
- ▶ The elasticity of demand at a quantity level Q is defined by: $\eta_p(Q) := \frac{\partial Q(p)}{\partial p} \frac{p}{Q}$.
- ▶ How do we find the elasticity of demand when we only have the inverse demand curve?
 - Hint: The Inverse Function Theorem states that: $\frac{df^{-1}(x)}{dx} = \left[\frac{df(x)}{dx} \right]^{-1}$.
- ▶ Demand is elastic when $|\eta_p(Q)| > 1$.
- ▶ Demand is inelastic when $|\eta_p(Q)| < 1$.
- ▶ When is linear demand elastic?
- ▶ What is the elasticity of an iso-elastic demand curve?

Consumer surplus (1 / 3)

(OZ 3.3 has a special case)

- ▶ A consumer has utility $U(Q) = v(Q) + M$, where:
 - Q is the quantity of some good,
 - M is money left over for other goods.
 - What is this type of utility function called?
- ▶ Their income is Y , and the good costs p .
 - So their budget constraint says $Y = pQ + M$.
- ▶ Want to max: $U(Q) = v(Q) + Y - pQ$.
- ▶ FOC: $v'(Q^*) = p$
 - What is v' ? (Other than v 's first derivative.)

Consumer surplus (2/3)



Consumer surplus (3 / 3)

- ▶ Consumer surplus at a quantity Q^* and a price p^* on the demand curve is defined as the blue shaded area.
- ▶ With our consumer from before, this is:

$$\begin{aligned}\int_0^{Q^*} (p(Q) - p^*) dQ &= \int_0^{Q^*} (v'(Q) - p^*) dQ = \int_0^{Q^*} v'(Q) dQ - p^* Q^* \\ &= v(Q^*) - p^* Q^*\end{aligned}$$

- By the “Fundamental Theorem of Calculus” (FTC).
 - This says that if you integrate a derivative, you get back the original function.
- ▶ But $v(Q^*) - p^* Q^* = U(Q^*) - Y$.
 - Consumer surplus is a measure of utility, when agents have quasi-linear preferences.
 - With quasi-linear preferences, money is the unit of utility.
 - So CS is also a measure of the value gained by consumers.
 - Note that Y is the utility they would get when $Q^* = 0$.

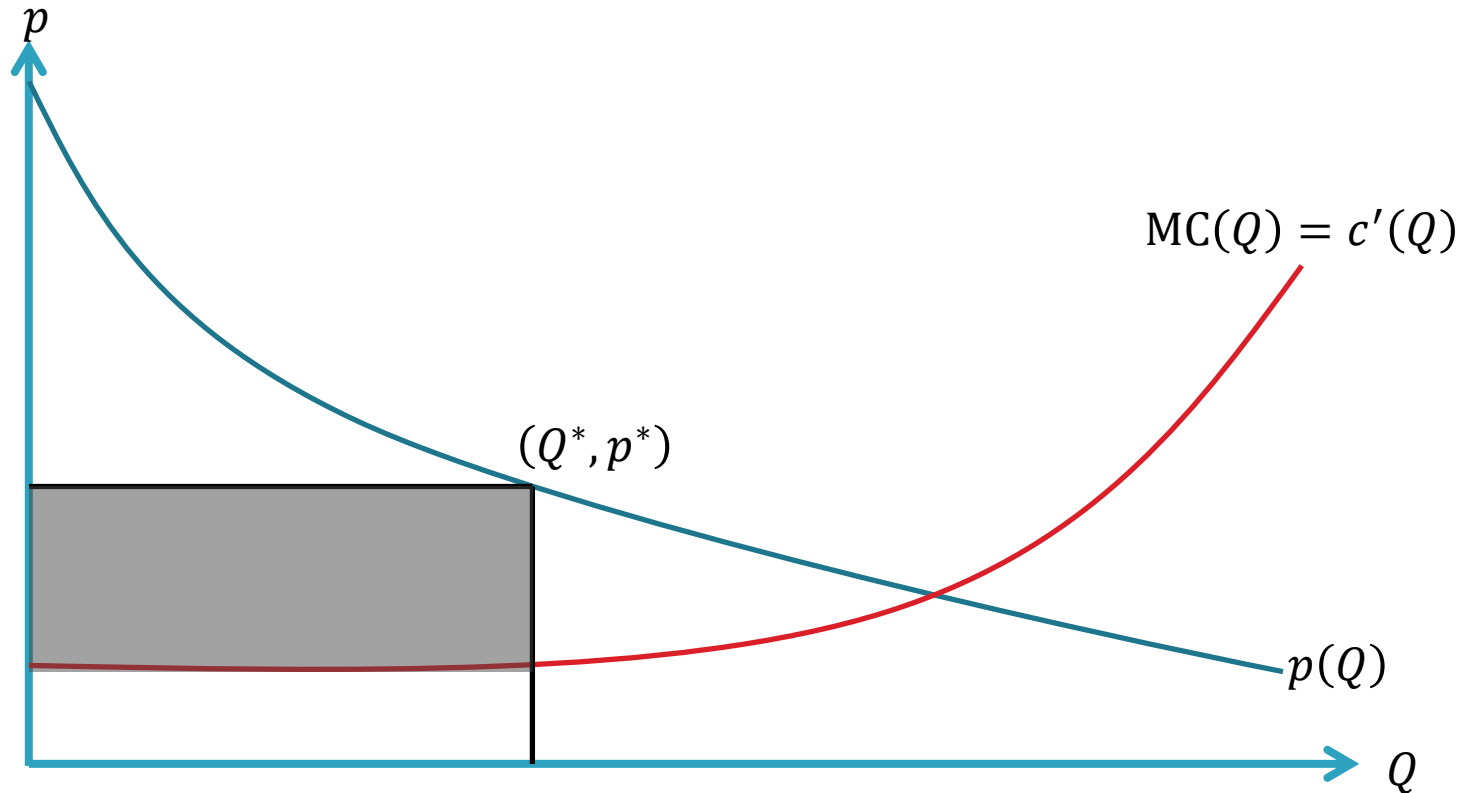
Cost functions (OZ 3.1)

- ▶ The cost function, $c(Q)$ gives the total cost of producing Q units.
 - $c'(Q)$ is marginal cost.
 - $\frac{c(Q)}{Q}$ is average costs.
 - When do average costs equal marginal costs?
- ▶ Suppose output is produced using $Q = f(L)$ where L is labour, which is paid W per unit.
 - What is the cost function?
 - Example: $Q = (L - \gamma)^\alpha$ where $\alpha \in (0,1)$ and $\gamma > 0$.

Profits (1 / 3)

- ▶ We can think of firms as either choosing prices or quantities.
- ▶ These give two different versions of the profit function:
 - $\pi(p) = pQ(p) - c(Q(p))$
 - $\pi(Q) = p(Q)Q - c(Q)$
 - If $p(y) = Q^{-1}(y)$ for all y then these will give the same result.
- ▶ The $p(Q)Q$ term is total revenue.
 - What is marginal revenue?

Profits (2 / 3)



Profits (3 / 3)

- ▶ The grey shaded area gives producer surplus at a quantity Q^* and a price p^* on the demand curve.
- ▶ This area is:

$$\begin{aligned}\int_0^{Q^*} (p^* - MC(Q)) dQ &= \int_0^{Q^*} (p^* - c'(Q)) dQ \\ &= p^* Q^* - [c(Q^*) - c(0)]\end{aligned}$$

- By the FTC again.
- ▶ But $p^* Q^* - [c(Q^*) - c(0)] = \pi(Q^*) + c(0)$.
 - Producer surplus measures profits.
 - Or the value gained by producers.
 - Note that $-c(0)$ is their profit when $Q^* = 0$.

Welfare

- ▶ The total value gained by all agents in the economy is consumer surplus plus producer surplus.
 - We call this welfare.
- ▶ What quantity maximises welfare?
$$\begin{aligned}W(Q) &= CS(Q) + PS(Q) \\ &= v(Q) - pQ + pQ - [c(Q) - c(0)] \\ &= v(Q) - c(Q) + c(0)\end{aligned}$$
- ▶ FOC: $v'(Q^*) = c'(Q^*)$
 - or equivalently $p(Q^*) = c'(Q^*)$.
 - Perfect competition maximises welfare!

Monopolists (1 / 2)

- ▶ A monopolist has cost function $c(Q)$ and faces market inverse demand curve $p(Q)$.
 - Profits are $\pi(Q) = p(Q)Q - c(Q)$.

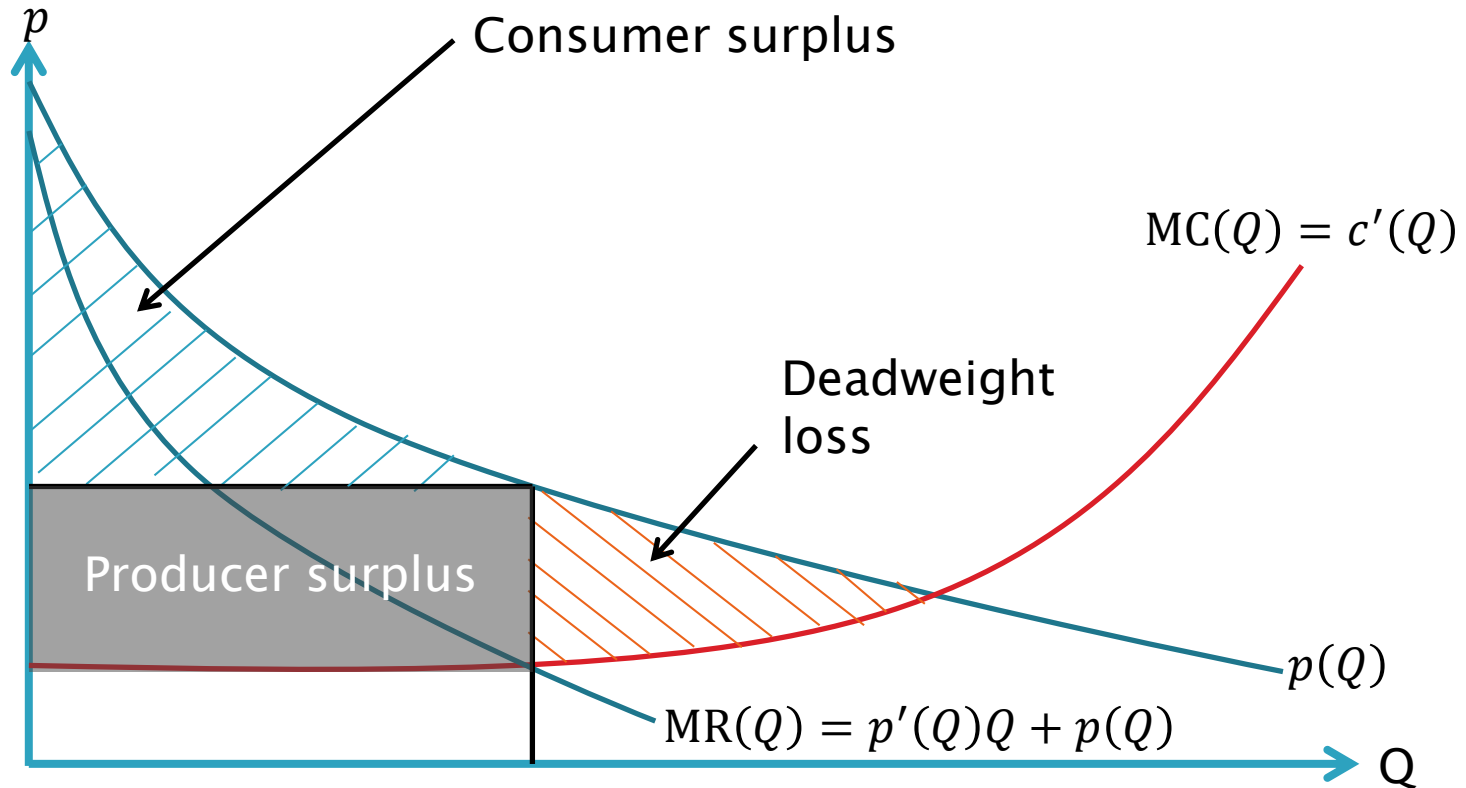
- ▶ First order condition:

$$p'(Q^*)Q^* + p(Q^*) - c'(Q^*) = 0$$

- ▶ So:

$$\begin{aligned} \text{MR}(Q^*) &= p'(Q^*)Q^* + p(Q^*) \\ &= c'(Q^*) = \text{MC}(Q^*) \end{aligned}$$

Monopolists (2/2)



Monopoly problems

- ▶ Suppose $p(Q) = p_0 - p_1 Q$ and $c(Q) = c_0 + c_1 Q$.
 - Show that under monopoly: $Q^* = \frac{p_0 - c_1}{2p_1}$
 - And under perfect competition: $Q^* = \frac{p_0 - c_1}{p_1}$
 - So quantity is halved.
 - What are CS, PS and DWL?

- ▶ Suppose $p(Q) = kQ^{-\beta}$ and $c(Q) = c_0 + c_1 Q$.
 - Show that under monopoly: $p(Q^*) = \frac{1}{1-\beta} c'(Q^*)$
 - Mark-up pricing!

Further problems

- ▶ Redo the problems on the previous page assuming the monopolist chooses prices rather than quantities.
 - (Using the demand curve rather than the inverse demand curve.)
 - Show your answers are equivalent.
- ▶ OZ Ex 3.4
 - Questions 3, 4, 5 and 6.
- ▶ OZ Ex 5.7
 - Questions 1, 2 and 7.
- ▶ OZ Extra exercises:
 - <http://ozshy.50webs.com/io-exercises.pdf>
 - Set #4

Conclusions

- ▶ CS is the value gained by consumers.
- ▶ PS is the value gained by producers.

- ▶ Monopoly is inefficient and results in DWL.

- ▶ Key skills:
 - Be able to work with linear and iso-elastic demand functions.
 - Calculate elasticities etc.
 - Maximise profit, maximise welfare.